mth 93

Bradford

Solving on the 89

To solve any equation, like $2x^3 - 5x^2 + 4x - 5 = 3x - 7$ we have at least four options. Some of these we have already seen.

Graphical

We can graph $y1 = 2x^3 - 5x^2 + 4x - 5$ and y2 = 3x - 7 separately, use the Intersection utility in the Math menu, using the key strokes: **F5 5** to get the intersection of the two graphs.

How many solutions can you find?

Try to solve $\sqrt{16-x^2}=3-.5x$ in this manner.

Solve

When solving basic equations with only one unknown variable we can use the built-in solve command. Go into your Algebra menu by pressing $\boxed{\texttt{F2}}$ and press $\boxed{\texttt{1}}$ to bring up

solve(

Next, type the equation, followed by a comma, the variable you wish to solve for and a closing parenthesis.

For example, to solve $x^2 + 5x - 30 = 0$ for the unknown, you should type:

$$solve(x^2 + 5 * x - 30 = 0, x)$$

Press **ENTER** to get the result.

Polynomial Root Finder

Whenever we deal with what is called a polynomial, that is a combination of terms of the form ax^n , i.e. different powers of x, we can use a Flash Application called the Polynomial Root Finder. Go into the Application Menu by pressing the $\overline{\text{APPS}}$ key. Next go into FlashApps and go into the Polynomial Root Finder. Finally, choose New. Now, you must enter the highest power of x for the

and enter the equation in the form:

$$a_n x^n + a_{n-1} x^{n-1} + \dots + a_1 x + a_0 = 0$$

So, to solve: $2x^4 + 2x^3 - 26.5x^2 - 13.5x + 63 = 0$, the screen asks for the Degree=... Enter the highest power of x, 4 in this case. Then, we enter the coefficients (the numbers in front of the x's) where we see a_4 and the other a's, starting with the highest powers of x in descending order, i.e. $a_4 = 2$, $a_3 = 2$, $a_2 = -26.5$, $a_1 = -13.5$, $a_0 = 63$.

After you have all of the numbers entered, press [F5] for Solve.

We get
$$x_1 = -3.5$$
, $x_2 = 3$, $x_3 = -2$, $x_4 = 1.5$ as the solutions.

Now, try this with
$$6x^5 - 77x^4 + 213x^3 - 19x^2 - 315x = 0$$
.

Done in TEX.